
Mathematical model for determining the effect of government policies on Nigerians' standard of living and the achievement of economic comfort in Nigeria

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To cite this article:

Ogwumu, David. O; James Friday. E. Mathematical Model for Determining the Effect of Government Policies on Nigerians' Standard of Living and the Achievement of Economic Comfort in Nigeria. *American Journal of Applied Mathematics*. Vol. 1, No. 4, 2013, pp. 84-91. doi: 10.11648/j.ajam.20130104.17

Abstract: The research is concerned with the development of a mathematical model for determining the Effect of Government Policies on Nigerians' Standard of Living which when not properly handled in turn could hamper the economic comfort of the country at large. The model was validated and observations about the model's results and the questionnaire data (before and after the introduction of government financial policies, g_p) were compared. Thereafter, the results of the comparison were analyzed using suitable statistical tools. The findings from the comparisons showed that government sudden financial policies take/reduce up to approximately 10% of the citizen's standard of living and income. Likewise, the results from our model and the questionnaire data have a higher degree of correlation which thus recommending the model as a standard measure for estimating the effect of Government Financial Policies on Nigerians' Standard of Living.

Keywords: Constraint, Duallizing, Government Parameter, Langrage's Multiplier, Least Squares, Saddle-Point, Optimizing

1. Introduction

In some countries particularly Nigeria, there are so many government policies such as fuel subsidy removal, chasing of hawkers away from roads in the name of “duallizing” or constructing public/government roads, dispossessing rural dwellers of their landed properties in an attempt to bring a state capital city to an area, sudden increase in the rate of value added tax (VAT) on telecommunication services, mandating some states to implement the country's minimum wage which indirectly could cause some states to prune down the number of workers to the size they could pay, merging of Commercial Banks leading to reduction in labour force and many more.

When these policies are made, the citizens at the receiving end take to several acts of violence which in turn create situations of unrest and insecurities. However, the persistent probing and demonstrations of the citizens over these issues above prompted the researcher to swing into action and investigate whether there is actually any relationship between government sudden policies and the

standard of living of Nigerians. Thus, the outcome of the researcher's investigation was what gave birth to this work. Meanwhile, this work is a follow-up of the researcher [8] perception that government policies have a lot to do in bringing about a stable standard of living to her citizens. As he recommended that government policies should be made to enhance judicious use of the Nation's poverty alleviation programme and supports in order to achieve the vision 20; 2020 which is a domesticated version of the MDGs in Nigeria [7, 5].

A question may be asked, what is this standard of living? The standard of living includes factors such as income, quality and availability of employment, class disparity, poverty rate, quality and affordability of housing, hours of work required to purchase necessities, gross domestic product, inflation rate, number of vacation days per year, affordable (or free) access to quality healthcare, quality and availability of education, life expectancy, incidence of disease, cost of goods and services, infrastructure, national economic growth, economic and political stability, political and religious freedom, environmental quality, climate and safety. Summarily, the standard of living is closely linked to

quality of life [9].

Meanwhile, according to a scholar, mathematics is the prime instruction for understanding and explaining Technological and Scientific Economy and social world [3]. Since several researchers have confirmed the indispensable role of Mathematics in national building, then the choice of addressing national developmental issue using the concept of mathematics and mathematical modelling in specific, cannot be said to be out of place.

1.1. Relevance of the Research Work over the Existing Ones

1. National Bureau of Statistics (NBS) produced an individual Nigerian's Standard of Living result according to Yemi (2012), the Statistician General of the federation in a Press briefing classifying in their result Nigerian into (a) Food poverty (b) Absolute poverty and (c) Relative poverty categories using questionnaire and Voice-of-the-people approach. But the agency did not implore the use of mathematical modeling approach in their research. Meanwhile, the unique thing about this research is that, it adopted the use of mathematical modeling approach which gives room for comparison of methods and findings.
2. Ogwumu *et.al* (2013b) developed a mathematical Model for estimating Nigerian's Standard of Living. But he did not consider the effect of Government policy Parameter on an individual's Standard of living as evident in this our research.

1.2. Limitation of the Research and Suggestions for Further Studies

The questionnaire data used for the proposed Nigerians' standard of living model in the equation (3.16) utilized by this work was gathered based on a purposeful sampling technique due to resources and time limitations. Whereas, for such a research as that, in order to obtain a data that is a complete representation of the Standard of Living of the entire Nigerian populace, random sampling technique (where every person in all the states of the country has equal chance in the sample) is suitable to be adopted. Hence, it is recommended that further studies be carried out on this work using questionnaire data that covers all the states in Nigeria.

2. Main Body/Materials and Method

2.1. Formulation of Model Equations

2.1.2. Some Basic Assumptions

- Let $T = \frac{(\text{social status or position of the man} + \text{societal Expectations from the man})}{2}$

To develop the research model equation, all possible parameters associated with the measurement of the standard of living will be outlined. However, while some are very important others can be ignored. Thus, the ones in the frontline are mainly considered before the negligible ones are done away with accordingly. These parameters are as discussed in the next section.

2.1.1. Definition of Parameters/Notations

1. The government parameter/ government policy parameter (g_p):
These government policies can be those made by federal, state, or local government. These policies could be at times innocent and of good intention to the citizens. But no matter how of good intentioned they might be, if no back up plans are made to address the people at the receiving end of the policies, so many other problems would have been created than the ones we attempt to solve.
2. Monthly income (I): this is the total earning of a family per month expressed as,

$$I = \frac{v(1+ar)(1+b)}{f} \quad (2)$$

Where v = the amount of earnings of the principal (basic) worker of the family

a = the ratio between the amount of earnings of the principal and secondary workers in the family.

r = the amount earned by other working members of the family

b = the ratio of other incomes of the family to the total earnings of the family

f = Family size. As by, [1]

1. Total Expenditures (E): total money spent per month by a family.
2. Social status/Position of the man q , (in percent): is the position a man occupies in the society which he works to maintain and working harder increases his standard of living as a result.
3. The man's societal expectation p , (in percent): is the expectation of a society from a man which increases as his standard of living rises and therefore makes him to work harder to keep the standard and not let the society down
4. Family size (F): this is the total persons that make up a household.
5. Standard of living parameter (S): it refers to the level of comfort, wealth, happiness, material goods and necessities available to a household in a certain socioeconomic class in a certain geographic area.

$$T = \frac{(q + p)}{2} \tag{2.1}$$

The equation (2.1) is formed by finding the average of the two variables p and q this way because; the two variables are closely related.

- Also as p is the expectation of a society from a man which increases as his standard of living rises and therefore makes him to work harder to keep the standard and not let the society down, also q is the position a man occupies in the society which he works to maintain (his position) and working harder increases his standard of living; then, the man's standard of living is directly proportional to T. Which means,

$$S \propto T, S = K_1 T \tag{2.2}$$

Where K_1 = constant of proportionality

- A man's standard of living increases as his level of income I, increases. Hence,

$$S = K_2 I \tag{2.3}$$

Where K_2 = constant of proportionality

- When one's level of expenditure, E increases, his standard of living decreases. Hence,

$$S \propto \frac{1}{E}; S = \frac{K_3}{E} \tag{2.4}$$

- Family size, F at the end of expenditure is a natural factor that affects one's standard of living indirectly as it increases as the man's standard of living is reducing. This is because the family size definition could include extended family also, which depends on an individual. Hence, this factor does not depend on other factors directly neither does any of them affect it. Thus, it is seen as an additive factor.

$$S \propto \frac{1}{F}, S = \frac{K_4}{F} \tag{2.5}$$

2.1.3. Establishment of Model Parameter Relationships

From equation (2.5) in the section above,

Let $S = \frac{K}{F}$ (where K is a constant) $\tag{2.6}$

Also in the same vein, we would postulate as follows,

- Let the man's standard of living S; vary jointly as his social status T and inversely as his spending or expenditure level E, per time. Then Mathematically,

$$S = \frac{B_1 T}{E} \tag{2.7}$$

(Where B_1 is a constant)

From above, since equation (2.5) is an additive factor,

then combining (2.6) and (2.7) gives

$$2S = \frac{K}{F} + \frac{B_1 T}{E}$$

$$S = \frac{A}{F} + \frac{BT}{E} \tag{2.8}$$

(Where: $A = \frac{K}{2}, B = \frac{B_1}{2}$)

2.1.4. Relationship of Other Model Parameters with Income before the Introduction of Government Parameter

Here we consider $g_p = 0$:

By general consideration, since when income I is low with other factors high, the individual's economic standard of living will be low. Implying that, income rate affects all other factors. This means, as $g_p = 0$,

$$S = K_I \left(\frac{A}{F} + \frac{BT}{E} \right) I \tag{2.9}$$

$$\therefore S = \frac{\alpha I}{F} + \frac{\beta TI}{E}; \alpha = AK_I, \beta = BK_I \tag{2.10}$$

Where: E = Expenditure level

F = Family size

T = Social status/societal expectations

I = Income

g_p = government parameter/fuel subsidy removal effect on income

S = standard of living, and α and β are constants

2.1.5. Analyzing the Model to Evaluate its Equation Constants

To evaluate the constants in the model above, equation (2.10) is going to be differentiated partially with respect to α and β respectively. To do this, we have to minimize the model using *least squares method* as follows: From (2.10) we let,

$$Z_{\min} = \min \sum (S_i - \frac{\alpha I_i}{F_i} - \frac{\beta T_i I_i}{E_i})^2 \quad i=1, 2, 3, \dots, n \tag{2.11}$$

$$\frac{\partial Z}{\partial \alpha} = -2 \sum (S_i - \frac{\alpha I_i}{F_i} - \frac{\beta T_i I_i}{E_i}) \frac{I_i}{F_i} = 0 \tag{2.12}$$

$$\frac{\partial Z}{\partial \beta} = -2 \sum (S_i - \frac{\alpha I_i}{F_i} - \frac{\beta T_i I_i}{E_i}) \frac{T_i I_i}{E_i} = 0 \tag{2.13}$$

$$\therefore \alpha \sum \frac{I_i^2}{F_i^2} + \beta \sum \frac{T_i I_i^2}{E_i F_i} = \sum \frac{S_i I_i}{F_i} \tag{2.14}$$

$$\alpha \sum \frac{T_i I_i^2}{F_i E_i} + \beta \sum \frac{T_i^2 I_i^2}{E_i^2} = \sum \frac{S_i T_i I_i}{E_i} \tag{2.15}$$

$i= 1, 2, 3...n$. But, for this problem $n = 20$.

Meanwhile Equations (214) and (2.15) are to be solved simultaneously for α and β .

2.1.5.1. Research Instrument Used

The research instrument used is known as questionnaire. This is because our research is a kind of opinion poll research. However in distributing the questionnaire, only the set of income earners that usually have a clear cut record of their income were considered. This is because; some craftsmen and business persons find it difficult to keep record of the flow of income and that type of data or record may affect the authenticity of our research model.

Also, in the questionnaire there are questions designed to checkmate fake responses. Wherever any element of fake response is discovered, the questionnaire is destroyed accordingly. 200 copies of questionnaire were distributed. But only 20 copies which satisfied our acceptability test were considered. We attached a fake response (F.R.) test/ acceptability test to each questionnaire such which any one that became successful was considered for the research.

2.1.5.2. Evaluation of the Equation Constants Using the Data Below

Table 2.1. Questionnaire data for determining our emerging equation constants

Monthly Income (I)	Government parameter, g_p as % of income	Family size (F)	Expenditure Level(Ex 0.01) Per Month in (%)	Social status/ Societal Expectation (T x0.01) in %	Standard of Living (S) in % before g_p
7000	560	8	0.6	0.7	40
17000	2040	1	0.9	0.6	129
4500	450	8	0.2	0.5	52
8000	560	3	0.6	0.6	48
4000	360	1	0.6	0.6	36
17500	2275	9	0.4	0.6	125
4000	300	4	0.2	0.4	40
4700	376	5	0.6	0.6	25
8000	480	2	0.4	0.6	72
4300	387	7	0.2	0.4	41
12000	1320	5	0.8	0.7	58
7000	490	7	0.8	0.7	32
10500	1155	3	0.6	0.6	62
8500	765	8	0.6	0.8	55
1500	90	1	0.6	0.6	14
2000	140	1	0.4	0.5	20
22000	1980	1	0.8	0.75	94
4000	280	3	0.4	0.4	24
18000	1800	2	0.6	0.7	135
4800	480	2	0.8	0.6	27

Source: Data from the distributed questionnaire

Solving equation (2.14) and (2.15) in the section above simultaneously, where from the table above,

$$\sum \frac{T_i I_i^2}{E_i F_i} = 1104306482, \quad \sum \frac{T_i^2 I_i^2}{E_i^2} = 2685124583,$$

$$\sum \frac{S_i T_i I_i}{E_i} = 170099.1667, \quad \sum \frac{S_i I_i}{F_i} =$$

$$92305.47619, \quad \sum \frac{I_i^2}{F_i^2} = 934161637.5$$

Using the data collected,
 $\alpha = 4.6561047 \times 10^{-5}$, $\beta = 4.4199625 \times 10^{-5}$

$$S = \frac{4.6561047 \times 10^{-5} I}{F} + \frac{4.4199625 \times 10^{-5} T I}{E} \quad (2.16)$$

2.1.6. Relationship of Other Model Parameters with Income after the Introduction of Government Parameter

Here we consider g_p = fuel subsidy removal financial policy, increase of VAT and others

Basic assumption: By the introduction of government parameter (Removal of fuel subsidy, etc), g_p , it was noticed that g_p is a reduction on the human's standard of living. Hence, equation (3.10) above becomes,

$$S = \frac{\alpha I}{F} + \frac{\beta T I}{E} - g_p \quad (2.17)$$

But $g_p = \theta\%$ of $I = 0.01 \times \theta \times I$; where θ is a constant (2.18)

Using the data collected in table 3.1,

$$\theta = \frac{16288}{1713}; \theta = 9.50847 \quad (2.19)$$

Using equation (2.17) and (2.18) above,

$$g_p = 0.09509 \times I \quad (2.20)$$

$$g_p \% = 0.0009509 \times I$$

By substituting g_p , α and β into equation (2.17), we have

$$S = \frac{4.6561047 \times 10^{-5} I}{F} + \frac{4.4199625 \times 10^{-5} TI}{E} - 9.50847 \times 10^{-6} I$$

or

$$S = \frac{4.6561047 \times 10^{-5} I}{F} + \frac{4.4199625 \times 10^{-5} TI}{E} - 9.50847 \times 10^{-6} g_p \quad (2.21)$$

The equations (2.16) and (2.21) above are our model equations for the people's standard of living before and after the introduction of government parameter, g_p and they are in a way similar to that of [6]. Although he did not consider government parameter g_p and did not formulate his model as explicit as this, nor optimize and supply information about the model's extreme values.

3. Results and Discussion

In the concluding part of the previous chapter, data were collected in order to be able to evaluate our emerging model equation constants. Thus, our new model equation now is

$$S = \frac{\alpha I}{F} + \frac{\beta TI}{E} - 9.50847 \times 10^{-6} I \quad (3.1)$$

Where: $\alpha = 4.6561047 \times 10^{-5}$, $\beta = 4.4199625 \times 10^{-5}$

But in this chapter, emphasis was laid on analyzing our model by:

- 1) Optimizing the model
- 2) Supplying information about the nature of the extreme points of our model
- 3) Real life interpretation of our optimum values
- 4) Physical application of our model/ validation of the model

3.1. Optimization of the Model

Linear optimization is a mathematical method for determining a way to achieve the best outcome (such as maximum profit or lowest cost) in a given mathematical model, for some lists of requirements represented as linear relationship. And more formally, it is a technique for programming/optimizing an objective function, subject to an inequality or equation constraints. Hence, we wish to optimize our model using Lagrange's Multiplier approach subject to a particular constraint as below.

Optimizing the Model Using Lagrange's Multiplier Subject to $E = 184 + 0.7064 * I$ as Constraint (from analyzed Keynesian Expenditure Theory by [4])

Since from our equation (3.1) above,
From our equation (3.1) above,

$$S = \frac{\alpha I}{F} + \frac{\beta TI}{E} - g_p$$

$$\Rightarrow S = \frac{\alpha I}{F} + \frac{\beta TI}{E} - 1 \times 10^{-5} I$$

Setting the constraint equal to zero and multiplying it by our Lagrange multiplier λ , to get our Lagrange function will give,

$$S = \frac{\alpha I}{F} + \frac{\beta TI}{E} - 1 \times 10^{-5} I + \lambda(E - 184 - 0.7064I) \quad (3.2)$$

Let by supposition the social status of the man T, (at optimal level) = maximum = 100% = $\frac{100}{100} = 1$.

Then, differentiating equation (3.2) partially with respect to F, E, I and λ gives

$$\frac{\partial S}{\partial F} = \frac{-\alpha I}{F^2} = 0 \quad (3.3)$$

$$\frac{\partial S}{\partial E} = \frac{-\beta I}{E^2} + \lambda = 0 \quad (3.4)$$

$$\frac{\partial S}{\partial I} = \frac{\alpha}{F} + \frac{\beta}{E} - 0.00001 - 0.7064\lambda = 0 \quad (3.5)$$

$$\frac{\partial S}{\partial \lambda} = E - 184 - 0.7064I = 0 \quad (3.6)$$

From equation (3.6),

$$I = \frac{E - 184}{0.7064} \quad (3.7)$$

Putting (3.7) into (3.3)

$$E = 184\% = 1.84$$

(This means, at optimal level the man's expenditure level is at the extreme, above 100% spending)

Thus, by back substitution into (3.7),

$I = 0$ (This means the man's income is of no effect, at optimal level)

To eliminate λ in (3.4) and (3.5) above, we perform (3.5) + (3.4) x 0.7064 to give

$$\frac{-0.7064\beta I}{E^2} + \frac{\alpha}{F} + \frac{\beta}{E} - 0.00001 = 0$$

$$\frac{\alpha}{F} = 0.00001 - \frac{\beta}{1.84} \quad (\text{Since } I = 0 \text{ and } E = 1.84)$$

$$\frac{4.6561047 \times 10^{-5}}{F} = 0.00001 - \frac{4.4199625 \times 10^{-5}}{184}$$

∴ F = 1 person (this means)

Also, by substituting our values into equation (3.4), λ = 0.

Thus, our critical values are: E = 184%, F = 1 person, T = 100%, λ = 0 and I = 0 as E tends to maximum

This implies that,

Standard of living of the man, S → 0 as his expenditure level E → ∞

And this in real life means that the man's Standard of living tends to 0% as his expenditure level, E is geometrically or infinitely rising. If he keeps spending high, his Standard of living will tend to 0%

3.2. Observation on the Nature of the Models' Extreme Values

This stage is necessary in order to know whether the model's extreme point is a minimum or a maximum.

Generally, given a function f(x, y) that obeys the continuity of the partial derivatives and we

Let: $A = \frac{\partial^2 f}{\partial x^2}$, $B = \frac{\partial^2 f}{\partial x \partial y}$, $C = \frac{\partial^2 f}{\partial y^2}$ then,

- 1) If $B^2 - AC < 0$, then f(x, y) has extreme value at (x₀, y₀) and minimum if A > 0 and it is maximum if A < 0
- 2) If $B^2 - AC > 0$, or $AC < B^2$ then f(x, y) has no extreme value. That is, it has a saddle point at (x₀, y₀).
- 3) If $B^2 - AC = 0$, then no information is derivable about its extreme values.

Similarly, from our reduced model equation variables,

$$S = \left(\frac{\alpha}{F} + \frac{\beta}{E} - 0.00001\right)I;$$

but,

$$I = \frac{E}{0.7064} - \frac{184}{0.7064}, \text{ from (4.7) \& our constraint equ. } \therefore$$

$$S = \left(\frac{\alpha}{F} + \frac{\beta}{E} - 0.00001\right)\left(\frac{E}{0.7064} - \frac{184}{0.7064}\right)$$

And

$$\frac{\partial S}{\partial F} = \frac{-\alpha}{F^2} \left(\frac{E}{0.7064} - \frac{184}{0.7064}\right)$$

$$\frac{\partial S}{\partial E} = \frac{-\beta}{E^2} \left(\frac{E}{0.7064} - \frac{184}{0.7064}\right) + \frac{1}{0.7064} \left(\frac{\alpha}{F} + \frac{\beta}{E} - 0.00001\right)$$

$$= \left(\frac{-\beta}{0.7064E} + \frac{184\beta}{0.7064E^2}\right) + \left(\frac{1.4156\alpha}{F} + \frac{1.4156\beta}{E} - 0.00001416\right)$$

$$\therefore \frac{\partial^2 S}{\partial F^2} = \frac{2\alpha}{F^3} \left(\frac{E}{0.7064} - \frac{184}{0.7064}\right),$$

$$\frac{\partial^2 S}{\partial F^2} \Big|_{E=184} = 0, \text{ (by substituting our critical values)}$$

$$\frac{\partial^2 S}{\partial E^2} = \left(\frac{\beta}{0.7064E^2} - \frac{520.98\beta}{E^3} - \frac{1.4156\beta}{E^2}\right)$$

$$\therefore \frac{\partial^2 S}{\partial E^2} = \frac{0.00002016\beta}{0.7064E^2} - \frac{520.98\beta}{E^3}$$

$$\frac{\partial^2 S}{\partial F \partial E} = \frac{\partial}{\partial F} \left(\frac{\partial S}{\partial E}\right) = \frac{-\alpha}{F^2} \left(\frac{1}{0.7064}\right)$$

$$\text{If, } \frac{\partial^2 S}{\partial E^2} = A, \frac{\partial^2 S}{\partial F \partial E} = B \text{ and } \frac{\partial^2 S}{\partial F^2} = C,$$

Then, by substituting our critical values,

$$B^2 - AC = \left(\frac{-4.6561047 \times 10^{-5}}{1}\right)^2 \left(\frac{1}{0.7064}\right)^2 - 0 > 0 \quad (3.8)$$

Hence, $B^2 - AC > 0$

(It means S has a Saddle-point and has no local extremum or it has no specific optimal value)

3.3. Real Life Interpretation/ Implication of the Model's Optimal/ Extreme Values

From our calculated values at optimal level, E = 184%, F = 1 person, T = 100%, I → 0.

The physical implication of these values is that:

Family size (F): for this value to be F = 1 person, it means the man cannot fend for any other person no matter how small except himself at optimal level. This implies also that such a man cannot get married not to talk of having a child and still have economic comfort because of the state of his critical standard of living.

Expenditure level (E): it was indicated that at optimal level, the man has above 100% spending rate. This actually accounts for the poor standard of living because his expenditure level is geometrically increasing; any income that comes in goes out.

Income (I): for this value that says, I → 0, we observe also that at optimal level, the man's income tends to have no effect. This is for the same reason above that, any income that comes in, goes out because of the man's expenditure level at the peak as 184%.

Societal expectation/social status (T): since the man's societal expectation is highest at optimal level, then this also accounts for high expenditure level, which consequently leads to a poor standard of living at large.

Government Parameter (g_p): since we can express this parameter in terms of the man's income at optimal level, then we can say this value and the man's per capital income (I) is the major reason for his poor standard of living at optimal level.

3.4. Validation of the Model

The model was validated using direct substitution of the questionnaire data in table 2.1 above into the model equations (2.16) and (2.21) which are the standard of living

model for before and after the introduction of government parameter. These two model results were compared in the next section.

3.4.1. Comparison between the Nigerians' Standard of Living before and after Introduction of g_p along with Standard of Living Value & Questionnaire Comparison

Table 3.1. Tabular Comparison between the Nigerian's Standard of Living before And After Introduction of g_p

People Involved	STANDARD OF LIVING (%) (Before Introduction of g_p)	STANDARD OF LIVING (%) (After Introduction of g_p)	Differences (Absolute) in %
Person A	47.78	40.14	7.64%
Person B	25.15	20.1	5.05%
Person C	32	25.1	6.9%
Person D	20	14.4	5.6%
Person E	27.1	22	5%

Table 3.2. Comparison between the Model data for standard of Living & our Questionnaire

People involved	Standard of living (%) (calculated by our model)	Standard of living (%) (questionnaire data)	Error (absolute)
Person A	47.78	48	0.22%
Person B	25.15	25	0.15%
Person C	31.73	32	0.27%
Person D	20.36	20	0.36%
Person E	27.09	27	0.09%

Remark

Table 3.1 and 3.2 above shows the validation of randomly 4th, 8th, 12th, 16th and the 20th record of our questionnaire data in table 2.1 and the absolute error respectively.

The analysis of the result in table 3.1 shows that the error between our calculated model data for before and after the introduction of government parameter in most cases, is approximately 10% (to the nearest tens) which confirms the fact that any sudden government financial policy takes/reduces approximately 10% of the citizen's standard of living and income status.

3.5. Discussion of Results

The outcome of our comparison between Nigerians' standard of living before and after the introduction of government policy parameter g_p in equation (2.19) and table 3.1, reveals that financial related policies in the country takes/reduce approximately 10% of the citizens' economic comfort and income. Similarly, Table 3.2 on the other hand shows that the differences between our calculated model data and the questionnaire data in all the cases considered was not up to 1%. And moreso, the absolute error between the model results and our raw questionnaire data using our model equation (2.16) indicates a value approximately +0.7 ranking correlation coefficient which therefore recommends the model as a standard measure for estimating the effect of government parameter on the citizen's standard of living.

In this section, we compared our model Standard of Living values for before and after the introduction of government parameter, g_p . Likewise, we compared our model results for Nigerians' Standard of Living before the Introduction of g_p with the questionnaire data gathered for the research in table 2.1.

Equally, from our optimization result in equation (3.8) above, it was noticed at various levels of our model analysis that there is no particular level of standard of living of a man/household which can be called the maximum or minimum standard of living. This is consequent upon obtaining "Saddle-point" as the model's extreme/optimal value. Thus, no value of a person's economic standard is critical enough to momentarily stop his existence. This then implies that human beings can exist even at critical level of standard of living that is close to zero percent. Hence, the proportion of the population that has critical standard of living who will not die until help comes their way through the country's poverty alleviation programmes or they seek for help themselves either through positive or negative means, constitutes the main factor for much security threats in the country.

4. Conclusion

Since, the model has spotted that most situations of unrest, insecurity and other social vices in any country (Nigeria inclusive) is caused by the inability of the government to make backup plans to cushion the effect of any financial related policy made in relation to the citizen's standard of living, then it is time for our governments and other non-governmental agencies to rise to their responsibilities in this regard. Any decision or activity contrary to this is anti-developmental agenda of any country. And it is another way of saying the economic vision of that country cannot be achieved at the time

speculated. More so, as Nigeria is in a hurry to obtain economic stability between now and the year 2020, this research is therefore timely and the utilization of all its specifications alike.

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